

**A Table showing conversions between SI, cgs-esu and cgs-emu systems.**

Basic Units		Definitions		Current SI	Dimensions	Dimensions	x by $k_s$ to get	cgs - esu	x by $k_m$ to get	cgs - emu	$k_s/k_m$			
mass	m	base unit (gram)		kilogram	M	M	$10^3$	gram	M	$10^3$	gram	M	1	
length	l	base unit (centimetre)		metre	L	L	$10^2$	centimetre	L	$10^2$	centimetre	L	1	
time	t	base unit (second)		second	T	T	$10^0$	second	T	$10^0$	second	T	1	
velocity	v	distance / time		metres / second	$LT^{-1}$	$LT^{-1}$	$10^2$	cm / second	$LT^{-1}$	$10^2$	cm / second	$LT^{-1}$	1	
acceleration	a	rate of change of velocity (gal)			$LT^{-2}$	$LT^{-2}$	$10^2$	cm / sec <sup>2</sup>	$LT^{-2}$	$10^2$	cm / sec <sup>2</sup>	$LT^{-2}$	1	
force	f	mass x acceleration (dyne)		newton	$MLT^{-2}$	$MLT^{-2}$	$10^5$	dyne	$MLT^{-2}$	$10^5$	dyne	$MLT^{-2}$	1	
work or energy	e	force x distance (erg)		joule	$ML^2T^{-2}$	$ML^2T^{-2}$	$10^7$	erg	$ML^2T^{-2}$	$10^7$	erg	$ML^2T^{-2}$	1	
power	p	rate of work		watt	$ML^2T^{-3}$	$ML^2T^{-3}$	$10^7$	erg/sec	$ML^2T^{-3}$	$10^7$	erg/sec	$ML^2T^{-3}$	1	
pressure	P	force ÷ area (barge)		pascal	$ML^{-1}T^{-2}$	$ML^{-1}T^{-2}$	10	bar	$ML^{-1}T^{-2}$	10	bar	$ML^{-1}T^{-2}$	1	
stiffness	k	force ÷ extension (F=kE)			$MT^{-2}$	$MT^{-2}$								
compliance	c	inverse of stiffness			$T^2M^{-1}$	$T^2M^{-1}$								
<b>Conductance Field</b>			<b>Mechanical Equivalents</b>											
electric current	i	base unit	velocity	ampere	l	$QT^{-1}$	$10^{-1} \times c_{cgs}$	statampere	$M^{1/2}L^{1/2}T^{-2}$	$10^{-1}$	biot	$M^{1/2}L^{1/2}T^{-1}$	$c_{cgs}$	
potential difference (emf)	V	energy / charge	force	volt	$ML^2T^{-1}T^{-3}$	$ML^2Q^{-1}T^{-2}$	$10^8 \times c_{cgs}^{-1}$	statvolt	$M^{1/2}L^{1/2}T^{-1}$	$10^8$	abvolt	$M^{1/2}L^{1/2}T^{-2}$	$c_{cgs}^{-1}$	
field strength	E	emf / displacement	stiffness	$E = \frac{dV}{dx}$ volts/metre	$ML^{-1}T^{-3}$	$MLQ^{-1}T^{-2}$	$10^6 \times c_{cgs}^{-1}$	statvolt/cm	$M^{1/2}L^{-1/2}$	$10^6$	abvolt/cm	$M^{1/2}L^{-1/2}T^{-2}$	$c_{cgs}^{-1}$	
conductance	G	current / potential difference		$G = \frac{I}{V}$ siemens (mhos)	$I^2T^3M^{-1}L^{-2}$	$Q^2TM^{-1}L^{-2}$	$10^{-9} \times c_{cgs}^2$	stat Siemens	$LT^{-1}$	$10^{-9}$	ab Siemens	$TL^{-1}$	$c_{cgs}^2$	
resistance (conductance <sup>-1</sup> )	R	potential difference / current	momentum	$R = \frac{V}{I}$ ohm	$ML^2T^{-2}T^{-3}$	$ML^2Q^{-2}T^{-1}$	$10^9 \times c_{cgs}^{-2}$	statohm	$TL^{-1}$	$10^9$	abohm	$LT^{-1}$	$c_{cgs}^{-2}$	
current density	J			$J = \frac{di}{da}$ amps/metre <sup>2</sup>	$IL^{-2}$	$QT^{-1}L^{-2}$								
conductivity	$\sigma$			$\sigma = \frac{J}{E}$ mhos/metre	$I^2T^3M^{-1}L^{-3}$	$Q^2TM^{-1}L^{-3}$								
resistivity (conductivity <sup>-1</sup> )	$\rho$			$\rho = \frac{E}{J}$ ohm-metres	$ML^3T^{-2}T^{-3}$	$ML^3Q^{-2}T^{-1}$								
<b>Electric Field (each dimensional analysis adds T)</b>														
electric flux	Q	charge	length	Q = it coulomb	IT	Q	$10^{-1} \times c_{cgs}$	franklin	$M^{1/2}L^{1/2}T^{-1}$	$10^{-1}$	abcoulomb	$M^{1/2}L^{1/2}$	$c_{cgs}$	
charge density (displacement)	D	charge / area	length <sup>-1</sup>	$D = \frac{dQ}{da}$ coulombs/metre <sup>2</sup>	$ITL^{-2}$	$QL^{-2}$	$4\pi \cdot 10^{-5} \times c_{cgs}$	franklin/cm <sup>2</sup>	$M^{1/2}L^{-1/2}$	$4\pi \cdot 10^{-5}$	abcoulomb/cm <sup>2</sup>	$M^{1/2}L^{-1/2}$	$c_{cgs}$	
electric potential (emf)	V	energy / charge	force	volt	$ML^2T^{-1}T^{-3}$	$ML^2Q^{-1}T^{-2}$	$10^8 \times c_{cgs}^{-1}$	statvolt	$M^{1/2}L^{1/2}T^{-1}$	$10^8$	abvolt	$M^{1/2}L^{1/2}T^{-2}$	$c_{cgs}^{-1}$	
potential gradient	E	emf / displacement	stiffness	$E = \frac{dV}{dx}$ volts/metre	$ML^{-1}T^{-3}$	$MLQ^{-1}T^{-2}$	$10^6 \times c_{cgs}^{-1}$	statvolt/cm	$M^{1/2}L^{-1/2}$	$10^6$	abvolt/cm	$M^{1/2}L^{-1/2}T^{-2}$	$c_{cgs}^{-1}$	
capacitance	C	$i = C \frac{dV}{dt}$ (coulombs/volt)	compliance	$C = \frac{Q}{V}$ farad	$I^2T^4M^{-1}L^{-2}$	$Q^2T^2M^{-1}L^{-2}$	$10^{-9} \times c_{cgs}^2$	statfarad = cr L		$10^{-9}$	abfarad	$T^2L^{-1}$	$c_{cgs}^2$	
permittivity	$\epsilon$	charge density / field strength	force <sup>-1</sup>	$\epsilon = \frac{D}{E}$ farad/metre	$I^2T^4M^{-1}L^{-3}$	$Q^2T^2M^{-1}L^{-3}$	$4\pi \cdot 10^{-11} \times c_{cgs}^2$	statfarad/cm	dimensionless	$4\pi \cdot 10^{-11}$	abfarad/cm	$T^2L^{-2}$	$c_{cgs}^2$	
elastance (capacitance <sup>-1</sup> )	$\delta$			$\delta = \frac{V}{Q}$ daraf	$ML^2T^{-2}T^{-4}$	$ML^2Q^{-2}T^{-2}$								
elastivity (permittivity <sup>-1</sup> )				$\gamma = \frac{E}{D}$	$ML^3T^{-2}T^{-4}$	$ML^3Q^{-2}T^{-2}$		a franklin is a statcoulomb						
<b>Magnetics (exchange i and v in the equations)</b>														
magnetic charge = flux	$\Phi$			weber	$ML^2T^{-1}T^{-2}$	$ML^2Q^{-1}T^{-1}$	$10^8 + c_{cgs}$	statweber	$M^{1/2}L^{1/2}$		$10^8$	maxwell	$M^{1/2}L^{1/2}T^{-1}$	$c_{cgs}^{-1}$
flux density (induction)	B	magnetic flux / area		$B = \frac{d\Phi}{da}$ tesla (weber/m <sup>2</sup> )	$ML^{-1}T^{-2}$	$MQ^{-1}T^{-1}$	$10^4 + c_{cgs}$		$M^{1/2}L^{-1/2}$		$10^4$	gauss	$M^{1/2}L^{-1/2}$	$c_{cgs}^{-1}$
magnetic potential (mmf)	F	energy / magnetic flux		joules / weber	l (ampere-tu)	l (ampere-tu)	$4\pi \cdot 10^{-1} c_{cgs}$		$M^{1/2}L^{1/2}T^{-2}$		$4\pi \cdot 10^{-1}$	gilbert	$M^{1/2}L^{1/2}T^{-1}$	$c_{cgs}$
field strength (intensity)	H	mmf / displacement	angular velocity	$H = \frac{dF}{dx}$ newtons / weber	$IL^{-1}$ (ampturn)	$IL^{-1}$ (ampturn)	$4\pi \cdot 10^{-3} c_{cgs}$		$M^{1/2}L^{-1/2}T^{-2}$		$4\pi \cdot 10^{-3}$	oersted	$M^{1/2}L^{-1/2}$	$c_{cgs}$
inductance	L	$E = -L \frac{dI}{dt}$	mass	$\Lambda = \frac{\Phi}{I}$ henry	$ML^2T^{-2}T^{-2}$	$ML^2Q^{-2}$	$10^9 + c_{cgs}^2$	stathenry	$T^2L^{-1}$		$10^9$	abhenry = cm	L	$c_{cgs}^{-2}$
permeability	$\mu$	flux density/field strength		$\mu = \frac{B}{H}$ henry/metre	$ML^{-1}T^{-2}$	$MLQ^{-2}$	$10^7 + (4\pi c_{cgs}^2)$	stathenry/cm	$T^2L^{-2}$		$10^7 + 4\pi$	gauss/oersted	dimensionless	$c_{cgs}^{-2}$
reluctance (inductance <sup>-1</sup> )	S	mmf / flux		sturgeon	$I^2T^2M^{-1}L^{-2}$	$Q^2M^{-1}L^{-2}$	$c_{cgs}^2 + 10^9$	statsturgeon	$LT^2$		$10^9$	absturgeon	$L^{-1}$	$c_{cgs}^2$
permeance	$\Lambda$	inductance of one turn		weber/ampere-turns	$ML^2T^{-2}T^{-2}$	$ML^2Q^{-2}$								
reluctivity (permeability <sup>-1</sup> )	$\gamma$			$\gamma = \frac{H}{B}$ AT metre/weber	$I^2T^2M^{-1}L^{-1}$	$Q^2M^{-1}L^{-1}$								
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